Challenges and Tradeoffs in Trajectory Prediction for Autonomous Driving

Alvin Kao
Joseph Gonzalez, Ed.

Electrical Engineering and Computer Sciences
University of California at Berkeley

Technical Report No. UCB/EECS-2020-111
http://www2.eecs.berkeley.edu/Pubs/TechRpts/2020/EECS-2020-111.html

May 29, 2020
Challenges and Tradeoffs in Trajectory Prediction for Autonomous Driving

by Alvin Kao

Research Project

Submitted to the Department of Electrical Engineering and Computer Sciences, University of California at Berkeley, in partial satisfaction of the requirements for the degree of Master of Science, Plan II.

Approval for the Report and Comprehensive Examination:

Committee:

Professor Joseph Gonzalez
Research Advisor

May 29, 2020
(Date)

Professor Ion Stoica
Second Reader

May 29, 2020
(Date)
Challenges and Tradeoffs in Trajectory Prediction for Autonomous Driving

by

Alvin Kao

A thesis submitted in partial satisfaction of the requirements for the degree of

Master of Science

in

Electrical Engineering and Computer Science

in the

Graduate Division

of the

University of California, Berkeley

Committee in charge:

Professor Joseph Gonzalez
Professor Ion Stoica

Spring 2020
Challenges and Tradeoffs in Trajectory Prediction for Autonomous Driving

Copyright 2020

by

Alvin Kao
Abstract

Challenges and Tradeoffs in Trajectory Prediction for Autonomous Driving

by

Alvin Kao

Master of Science in Electrical Engineering and Computer Science

University of California, Berkeley

Professor Joseph Gonzalez

Trajectory prediction is a necessary component of an autonomous driving pipeline because it is essential for safe and comfortable planning. However, most existing work in prediction only measures prediction performance in isolation on static datasets, as opposed to performance when used in conjunction with the rest of the autonomous driving pipeline. We show that commonly used prediction evaluation metrics on static datasets do not capture the full range of challenges faced by trajectory prediction algorithms in dynamic scenarios, and that no single prediction method works best for all situations. To do this, we implement and benchmark a variety of state-of-the-art prediction approaches, and evaluate their performance in conjunction with planning in simulated driving scenarios.
Contents

1 Introduction 1
2 Background 3
   2.1 Autonomous Driving Pipeline 3
   2.2 ERDOS and Pylot 5
3 Overview of Trajectory Prediction 6
   3.1 Classification of Trajectory Prediction Approaches 7
   3.2 Existing Metrics 8
4 Experiments 9
   4.1 Simulation Setup and Algorithms 9
   4.2 Factors Affecting Prediction Quality 11
5 Conclusion and Future Work 18
Bibliography 19
# List of Figures

1.1 The ego-vehicle needs trajectory prediction for accurate planning. .......................... 2
2.1 A typical autonomous driving pipeline. ................................................................. 3
2.2 Different modules of Pylot when running with the CARLA simulator. ..................... 5
4.1 Four-way intersection collision avoidance scenario from a bird’s-eye view. Dark green dots represent past trajectories, and light green dots represent predictions. The ego-vehicle is the bottom one. ............................................................. 12
4.2 Due to our sampling strategy, R2P2 can sometimes be unstable, but this did not affect driving performance as the ego-vehicle has to emergency stop at that distance. ............................................................. 12
4.3 Average runtimes of our four models in the scenario. All runtimes are measured with a batch size of 1; we can’t batch predictions in the auto-driving setting, as data comes in an online fashion. ............................................................. 13
4.4 Prediction runtime can increase as prediction horizon increases. ............................ 15
4.5 The ego-vehicle can choose not to run prediction if no vehicles are physically able to collide with it in the near future, and allocate more time to object detection. 16
4.6 Predicting correct paths must also come with predicting correct probabilities. ........ 17
List of Tables

1.1 Average self-driven miles between disengagements for companies that have driven over 100k miles in 2019 [34] ................................. 1

4.1 minMSD values for several prediction networks .............................................. 11

4.2 Detection distances and runtimes for different EfficientDet models ................ 16
Acknowledgments

I would first like to thank Professor Joseph Gonzalez for advising me and providing me with continued support throughout the course of this project. I also thank Professor Ion Stoica for giving valuable advice and direction to the ERDOS project. Next, I would like to thank the ERDOS team: Ionel Gog, Sukrit Kalra, Peter Schafhalter, Aman Dhar, and Edward Fang. I also thank everyone I had discussions with in the RISE Lab, including Rowan McAllister, Mong H. Ng, Charles Packer, Nick Rhinehart, and Matthew Wright. Last but not least, I would like to thank my family, Ma, Ba, and Michelle, for their continuous support through all these years.
Chapter 1

Introduction

Autonomous vehicles (AVs) have the potential to revolutionize transportation by increasing safety, reducing traffic congestion and the resulting carbon emissions, providing mobility to people with disabilities, and enabling rapid, low-cost shipping. The National Highway Traffic Safety Administration expects AVs to (i) remove human error from traffic accidents, which made up 94% of the 37,133 motor-vehicle related deaths in the U.S. in 2017\cite{28}, (ii) increase traffic flow, which could potentially free up as much as 50 minutes per person per day\cite{24}, and (iii) provide new employment opportunities to approximately 2 million people with disabilities\cite{10}.

In spite of all the perceived benefits, fully autonomous vehicles are still far from reality. Table 1.1 shows that production vehicles have collectively driven an order-of-magnitude less than the 291 million fatality-free miles needed to claim that autonomous vehicles are as safe as human drivers with 95% confidence\cite{16,34}.

<table>
<thead>
<tr>
<th>Company</th>
<th>Miles driven</th>
<th>Miles between disengagements</th>
</tr>
</thead>
<tbody>
<tr>
<td>Pony.AI</td>
<td>174,845</td>
<td>6,475.8</td>
</tr>
<tr>
<td>GM Cruise</td>
<td>831,040</td>
<td>12,221.2</td>
</tr>
<tr>
<td>Waymo</td>
<td>1,454,137</td>
<td>13,219.4</td>
</tr>
<tr>
<td>Baidu Apollo</td>
<td>108,300</td>
<td>18,050.0</td>
</tr>
</tbody>
</table>

Table 1.1: Average self-driven miles between disengagements for companies that have driven over 100k miles in 2019\cite{34}.

Current deployments of AVs require frequent human intervention (i.e., disengagements) to safely operate in challenging scenarios, as shown in Table 1.1. Disengagements occur when either: (i) individual components of the driving pipeline provide low accuracy outputs, (ii) the AV is unable to reach a timely decision due to variability in the runtimes of the algorithms.
or other failures in the underlying system, or (iii) components of the pipeline fail to properly work together.

Most autonomous driving research addresses (i) – the accuracy of the algorithms used for each part of the driving pipeline in isolated contexts. However, (ii) and (iii) are arguably equally as important for the success of autonomous driving. This is especially true in the case of trajectory prediction, i.e. estimation of how other vehicles and pedestrians in the environment might move.

Why is trajectory prediction necessary? As a motivational scenario, consider the following image, taken from the view of the ego-vehicle (our autonomous vehicle) at an intersection:

![Figure 1.1: The ego-vehicle needs trajectory prediction for accurate planning.](image)

Without knowledge about the past history of the other red vehicle and reliable trajectory prediction, the ego-vehicle cannot tell from this image alone whether or not it is safe to enter the T-intersection.

As we can see, the main purpose of trajectory prediction is to provide useful information to the vehicle’s planning module about other agents in the environment, in order to come up with a safe and efficient route for the vehicle to follow. However, most existing work in prediction only considers prediction performance in isolation on static datasets, as opposed to evaluating their methods in actual driving scenarios with the rest of the AV pipeline.

In this work, we analyze the behavior of prediction methods in dynamic scenarios. Chapter 2 gives an overview of the autonomous driving pipeline as well as of ERDOS and Pylot [13], systems we built that allow us to evaluate specific AV components in scenarios as part of a full driving pipeline. In chapter 3 we discuss classes of approaches used for trajectory prediction, as well as the metrics used to evaluate them. In chapter 4, we identify various aspects of trajectory prediction not captured by these traditional metrics, and run exploratory experiments to demonstrate the tradeoffs there. Chapter 5 discusses future areas of research.
Chapter 2

Background

2.1 Autonomous Driving Pipeline

A typical autonomous driving pipeline\cite{2, 4, 15} includes four main modules, as depicted in Figure 2.1: perception, prediction, planning, and control. Although this work mainly focuses on the prediction module, we briefly describe each of these modules below to give some relevant context for our later evaluation of the pipeline in driving scenarios.

Figure 2.1: A typical autonomous driving pipeline.
CHAPTER 2. BACKGROUND

- **Perception** uses data from sensors such as cameras, LIDAR, and radar to detect objects in the scene and make inferences about their properties, such as location, orientation, and velocity. This can include submodules such as object detection, object tracking, and localization.

  The most relevant part of perception for the prediction module is the object tracker, which outputs the past tracks of other agents over time. Object trackers estimate locations of agents over time (between consecutive object detections), as well as maintain consistent identifiers for each agent. Both non-neural network based and neural network based examples of object trackers have been tried. An example of a classical object tracker is SORT [6], which uses Kalman filtering for maintaining bounding boxes and the Hungarian algorithm (with bounding box overlap as a metric) for maintaining ids. DeepSORT extends SORT by incorporating image information using CNNs for the tracking of each object.

- **Prediction** uses the past tracks of other agents in the environment outputted by perception, along with other scene information such as maps or LIDAR, to predict the future behavior of other agents. We will further discuss different prediction methods in Chapter 3.

- **Planning** outputs a sequence of future waypoints that the vehicle should follow, using the trajectories outputted by the prediction module and information about the vehicle’s surroundings. A typical planner consists of three levels, a route planner, behavior planner, and motion planner, that deal with increasing levels of granularity.

  Route planning operates at the highest level, treating the road network as a graph with vertices at intersections (and perhaps additional intermediate vertices in the middle of roads), and running shortest path algorithms such as A* or Dijkstra’s algorithm to determine a high-level route to a goal. The behavior planner chooses high-level actions (e.g. keep in the same lane), given the route from the route planner. The motion planner then chooses a sequence of waypoints that is consistent with the higher-level planners. A wide range of motion planning techniques exist [30], however, in this work we will focus on using the Frenet Optimal Trajectory planner [37], which works in the Frenet frame (referenced to the road center line).

- **Control** provides throttle and steering commands for the vehicle that allow it to closely follow the planner’s outputted waypoints, while maintaining a specified target speed and providing a smooth ride for the passenger. In this work, we use a standard PID (proportional-integral-derivative) controller, which is sufficient for our purposes.

  Another line of work (e.g. [11]) treats autonomous driving as a single end-to-end problem, predicting control outputs from raw sensor data. These approaches avoid the need to address how to propagate error or uncertainty between modules, but are often less interpretable, so we do not discuss them in depth.
2.2 ERDOS and Pylot

For this work, we utilize the CARLA simulator [12], an open-source driving simulator that provides realistic maps, environments, and agents for evaluating autonomous driving algorithms.

The prediction algorithms and scenarios we implement are included as part of Pylot, an open-source autonomous driving pipeline that can interface with simulators such as CARLA but also with real-world AVs. Pylot was developed in conjunction with Ionel Gog, Sukrit Kalra, Peter Schafhalter, Aman Dhar, and Edward Fang. It is built on top of ERDOS, a streaming dataflow system designed for self-driving and robotics applications that guarantees enforcement of dynamic end-to-end deadlines and deterministic execution.

Using ERDOS, individual components of the driving pipeline can be represented as operators that are connected by data streams. In addition, an advantage of using CARLA with Pylot is that we can get ground-truth information from simulation for each component, allowing developers to focus on specific parts of the pipeline while still being able to run end-to-end tests. Because of these properties, Pylot allows for rapid innovation and testing of individual driving components. Figure 2.2 shows an example of the object detection, semantic segmentation, prediction, and planning modules of Pylot when running with the CARLA simulator. (Note that this is just a sample and does not represent all functionality in Pylot).

![Figure 2.2: Different modules of Pylot when running with the CARLA simulator.](image)
Chapter 3

Overview of Trajectory Prediction

We now focus on trajectory prediction, specifically for other vehicles in the environment. Pedestrian trajectory prediction is an equally important problem, but the two are often considered separately because pedestrians and vehicles have very different dynamics. Furthermore, it is easier to obtain high-quality, realistic data for vehicle trajectories than it is for pedestrian trajectories.

Predicting future state is a common problem across many fields such as computer vision, so what makes vehicle trajectory prediction different from other types of prediction? We can incorporate knowledge about physical constraints on vehicle dynamics, but there is still an extremely wide range of potential scenarios we may encounter. Classical approaches to the prediction problem include physics-based models such as Kalman and switching Kalman filters \[27\], hidden Markov models, and Gaussian process prediction. Albrecht et al. \[1\] also provide a comprehensive overview of non neural network-based methods, focusing on various modeling assumptions and modeling methods (e.g. policy reconstruction, graphical models).

However, like many other aspects of autonomous driving, trajectory prediction algorithms must deal with a long tail of unlikely but possible scenarios, so the ability to generalize from an incomprehensive dataset is key. This is one of the reasons why people have begun using neural network-based approaches for the problem.

Applying this class of techniques to the trajectory prediction problem is fairly new. To the best of our knowledge, Mozzafari et al. \[26\] provide the only survey of deep-learning based approaches for vehicle trajectory prediction. The authors structure their overview based on the input representations (e.g. grid of the surrounding world from a bird’s eye view vs. raw sensor data) and output representations (intention-based, unimodal, multimodal predictions) that are common in the literature. They also discuss the prevalent network architectures existing approaches have tried, such as RNNs, CNNs, and Graph Neural Networks. In the next section, we give a higher level overview of the state-of-the art approaches, with some discussion of benefits and drawbacks of each category.
3.1 Classification of Trajectory Prediction Approaches

- Intention prediction models treat prediction as a classification problem of high-level actions (intentions). For example, Luo et al. [8, 21] use end-to-end networks to jointly predict agent intention with other aspects of the driving pipeline such as detection and tracking. Hu et al. [19] consider the highway lane-changing problem with intents for different insertion areas.

While these methods allow for easily interpretable predictions, one drawback is that they require data to be manually labeled with intentions, which can be expensive and time-consuming. In addition, intention prediction models do not output explicit trajectories by themselves, making it harder to incorporate their output into planning without some other auxiliary network or functionality. Today, many intention prediction models will do a combination of estimating the likelihood of each intention and getting the most likely trajectory conditioned on that intention, or what Mozzafari et al. call “intention-based trajectory” predictions.

- Occupancy grid prediction methods [18, 17, 33, 25] assume we have a top-down discretized grid map with occupancy probabilities for each location, and predict a similar grid of probabilities for each future time step up to some fixed horizon. Unlike intention prediction, the output occupancy grids can directly be used for planning. However, these methods are significantly more memory-intensive, and don’t directly take advantage of the fact that we have distinct agents with physically-constrained dynamics.

- Game theoretic methods [14, 23, 22, 20] try to explicitly model interactions and collaboration between multiple agents, e.g. by modeling the utility function of each agent (which can depend on other agents), then optimizing over possible actions. These methods tend to become computationally intensive as the number of agents increase, because they consider the problem in its full generality. Therefore, they often still have to make concessions with regards to modeling power.

For example, [14] decomposes the problem into two levels of planners: (i) a strategic high-level planner that addresses fully coupled interaction using the Stackleberg leader-follower dynamic game, but with simplified dynamics, and (ii) a tactical planner that considers accurate dynamics but with simplified interaction model, planning over a shorter (e.g. 1 s) duration and incorporating input from the high-level planner in the utility function.

- Graphical models influencing neural network design [9, 31, 32, 36]: These methods typically assume the perception module is able to provide an accurate bird’s eye view of its surroundings, along with perfect past trajectories of other agents. They then use various independence assumptions to tame the complexity of the problem, at the
loss of some expressivity. We will discuss in more detail and evaluate three of these networks in the next chapter.

### 3.2 Existing Metrics

Typically, trajectory prediction algorithms are evaluated on a static dataset of trajectories as opposed to in conjunction with a planning algorithm. In this static setting, a wide range of other metrics have been proposed to evaluate the quality of trajectory prediction algorithms when applied to a static dataset of collected trajectories \[5\]. Two of the most commonly used metrics for algorithms that predict a single trajectory are **average displacement error** (ADE) and **final displacement error** (FDE).

Formally, given a sequence of past agent locations \( \{x_{-t}, \ldots, x_0\} \) and some scene context \( \phi \), a trajectory prediction algorithm will output a sequence of predicted future states \( \{x_1, \ldots, x_T\} \). Denote the true agent trajectory by \( \{\hat{x}_1, \ldots, \hat{x}_T\} \). Then, average displacement error is the Euclidean distance between the predicted and ground truth trajectory averaged over time, i.e. 
\[
\frac{1}{T} \sum_{i=1}^{T} \|x_i - \hat{x}_i\|_2.
\]

Final displacement error is the Euclidean distance between only the predicted and ground truth trajectory at time \( T \), i.e. 
\[
\|x_T - \hat{x}_T\|_2.
\]

The issue with ADE and FDE is that depending on the agent’s (hidden) goal, there could be several reasonable trajectories it can take. For example, at an intersection, we’d expect there to be some non-zero probability that a vehicle could turn left, go straight, or turn right. ADE and FDE would both heavily penalize any single-trajectory predictor that happened to choose the wrong mode, even if the predicted trajectory is reasonable given the intent.

Therefore, recent works \[9, 32, 36\] have used multimodal predictions in an attempt to capture the inherent multimodality of the desired output. Consequently, these approaches are evaluated by taking the minimum ADE or minimum mean squared distance (minMSD) over a fixed number of joint predicted trajectories. As another example, the ongoing INTERPRET prediction challenge, based off of the INTERACTION \[38\] dataset, uses this metric along with ADE and FDE.

Finally, for models whose output defines a probability distribution over possible trajectories, another metric typically used is to evaluate the likelihood of the ground-truth future trajectory under this distribution. This metric captures how well the predicted distribution covers all of the modes of the true distribution, but doesn’t penalize a model that assigns high likelihood to trajectories that are in reality unlikely.
Chapter 4

Experiments

4.1 Simulation Setup and Algorithms

We consider four different trajectory prediction models, a baseline linear regression model and three neural-network based trajectory prediction models that fall under the last category described in the previous chapter (graphical models influencing neural network design). We first describe the defining attributes of each method.

1. Linear prediction assumes each agent will travel at a constant velocity, and uses linear regression on past agent locations to predict its future locations.

2. R2P2 [31] is a state-of-the-art single-agent trajectory forecasting model. It learns a distribution over potential future trajectories that is parameterized by a one-step policy using a gated recurrent unit (GRU), and attempts to optimize for both quality and diversity of samples.

To extend R2P2 to the multi-agent setting, we run R2P2 on every agent within a specified prediction radius, rotating the scene context and past trajectories of other agents to the coordinate frame of the agent we are making predictions for. We refer to this version of R2P2 as R2P2-MA (R2P2-MultiAgent). The computations for each agent are independent and can therefore be batched.

3. Multipath [9] predicts a mixture of Gaussians distribution for agent locations at each time step. First, $K$ anchor trajectories are derived from the training data, either through $K$-means clustering with Euclidean distance or by sampling fixed trajectories. The number of anchors $K$ can vary depending on the problem. Then, the state distribution at each time step is conditionally Gaussian with learned mean and covariance, and independent of the distribution at other time steps given an anchor trajectory.

For its network architecture, Multipath first uses a lightweight scene-level network (in our implementation, we used a depth-wise thinned out version of Resnet-18) to obtain
a useful feature representation of the scene. Then, it applies a smaller network on
the relevant features for each agent that outputs predictions, represented as deviations
from each anchor trajectory, as well as a probability distribution over anchors. Because
the same network is used for each agent, per-agent computation can also be batched
and both stages of the network are fairly fast.

4. Multiple Futures Prediction (MFP) \(^{36}\) includes an attention-based mechanism to
jointly model agent behavior, in addition to the initial feature processing stages that
are fairly similar to those in the other works. The network architecture also gives
the flexibility of varying the number of discrete latent modes used for the outputted
prediction distribution.

With the exception of linear prediction, which doesn’t require any training, all models
described were trained on the PRECOG dataset. This dataset consists of roughly 60000
training samples of driving behavior in Town01 of the CARLA simulator, with each sample
consisting of the ego-vehicle’s current LIDAR observation, as well as two seconds of past
trajectory history and four seconds of future trajectory for each agent.

We chose these models in order to represent some of the major classes of neural-network
based approaches for trajectory prediction. Linear prediction is an extremely fast baseline,
which while clearly not applicable in all contexts, has its use cases in niche contexts. R2P2
was chosen as a representative of taking a single-agent forecasting model and na¨ ıvely extend-
ing it to the multiagent setting. Multipath was chosen as a multi-agent forecasting model
that is very fast because of the independence assumptions and lightweight architecture that it
uses. Finally, MFP was chosen because it is the current state-of-the art in vehicle trajectory
prediction.

We simulated the scenarios using CARLA 0.9.8’s scenario runner module \(^{7}\). CARLA
provides two modes of execution: (i) Synchronous, where the simulator allows instantaneous
application of control commands by pausing the simulator time after sending sensor inputs to
the client, and (ii) Asynchronous, where the simulator keeps moving time forward and applies
the control command when the client finishes execution. While CARLA’s asynchronous mode
allows us to observe the effects of the runtime of Pylot, it does not provide us with the ability
to apply a control command at a specific simulation time.

To better control the effects of runtime on the simulation, we run CARLA in synchronous
mode with a high frequency of 200Hz, and attach a synchronizer operator between the control
module and the simulator. This synchronizer tracks the runtime of the pipeline for each
sensor input, and buffers the generated control command until the simulation time is greater
than or equal to the sum of the sensor input time and the runtime of the pipeline. This
allows us to simulate running the pipeline asynchronously, but with the ability to manage
when control commands are applied that CARLA’s asynchronous mode does not provide. We call this mode of execution pseudo-asynchronous mode.

### 4.2 Factors Affecting Prediction Quality

#### Algorithm Runtime

Table 4.1 shows the minMSD metrics on the Town01 test portion of the PRECOG dataset for the above approaches. The minMSD was taken over 12 sets of sampled joint trajectories (this metric becomes just the MSD for the linear predictor because it gives a deterministic output). MFP-4 represents running MFP with four latent modes.

<table>
<thead>
<tr>
<th>Approach</th>
<th>minMSD_{12}</th>
</tr>
</thead>
<tbody>
<tr>
<td>Linear</td>
<td>1.10</td>
</tr>
<tr>
<td>R2P2-MA</td>
<td>0.77</td>
</tr>
<tr>
<td>MultiPath</td>
<td>0.68</td>
</tr>
<tr>
<td>MFP-4</td>
<td>0.28</td>
</tr>
</tbody>
</table>

Table 4.1: minMSD values for several prediction networks.

From this table, our initial impression might be that we should always run MFP-4, because it gives us the best minMSD. However, we need to take into account the runtimes of each method. To see why, consider a scenario in which a vehicle approaches a four way intersection at the same time as our autonomous vehicle. We may initially believe that the vehicle is going straight. However, a slight turn or signal would indicate to a human driver that the vehicle is about to turn. Taking too long to run prediction may mean that our autonomous vehicle misses this signal, and continues thinking the other vehicle will go straight.

In addition, if we take too long to perform prediction (especially at high speeds) the environment will have already changed drastically by the time we receive those predictions. In this case, we might as well get new sensor readings and use those instead of running prediction on old data.

We confirm this intuition in a four-way intersection scenario using the CARLA scenario runner. As depicted in Figure 4.1, our autonomous vehicle approaches a four-way intersection at the same time as a vehicle on the road perpendicular to us. However, the other vehicle fails to stop and speeds through the intersection, so we must either emergency brake or swerve to avoid an accident. Note that prediction is necessary for this scenario, as we need to know sufficiently early that the other vehicle is going too fast and that we may need to slow down.
CHAPTER 4. EXPERIMENTS

Figure 4.1: Four-way intersection collision avoidance scenario from a bird’s-eye view. Dark green dots represent past trajectories, and light green dots represent predictions. The ego-vehicle is the bottom one.

Figure 4.2: Due to our sampling strategy, R2P2 can sometimes be unstable, but this did not affect driving performance as the ego-vehicle has to emergency stop at that distance.
CHAPTER 4. EXPERIMENTS

For simplicity, we provide the autonomous vehicle with access to perfect past tracks of the other vehicle once it comes in view, as well as LIDAR readings. In addition, for each of the neural network-based planners, we sample from the predicted distribution of future trajectories and use that as our prediction. Although this does not take into account the full trajectory distribution, this naïve sampling suffices for all predictors for the purposes of our scenario. This was somewhat unstable in the case of R2P2-MA as shown in Figure 4.2, as we would predict going straight at some time steps and predict turns at subsequent time steps, but this behavior did not interfere with our results. As stated earlier, we run this scenario in pseudo-asynchronous mode.

We use an implementation of the Frenet planner, as it performs consistently and is able to swerve for obstacle avoidance, although it does require a relatively long runtime. In this situation, the linear predictor is able to avoid the collision by swerving slightly to buy time and then continuing along its path, but using R2P2 can sometimes result in collisions because of the increased runtime (depending on runtime variability in both R2P2 and the Frenet planner).

![Figure 4.3: Average runtimes of our four models in the scenario. All runtimes are measured with a batch size of 1; we can’t batch predictions in the auto-driving setting, as data comes in an online fashion.](image)

These results make sense given the runtime of our four models as shown in Figure 4.3. We observe that there is roughly a 150 ms difference between the slowest and fastest models, which means that when traveling at 16 m/s as in our scenario, there is roughly a 0.15*16 = 2.4 meter difference between when the planner is able to react when using the different predictors. This is a relatively small but still significant distance, and we suspect that when coupled with runtime differences incurred when switching components in other parts of the pipeline, this phenomenon will only be exacerbated.

We also experimented with using a simple waypoint planner, which follows a list of waypoints given to it and emergency brakes when an obstacle impedes its path (rather than
swerving). After searching over a range of speeds and distances for both vehicles, we did not find a configuration for which both using the waypoint planner with the linear predictor worked, and using the waypoint planner with R2P2-MA caused a collision. This is because without swerving or other forms of obstacle avoidance, there was no speed that was high enough to create a significant distance difference between the different predictors, yet low enough such that we could brake in time to avoid the collision. However, one could argue that using the linear predictor is still better because it lessens the speed at collision time, making the ride safer.

Of course, a linear predictor is not sufficient in all scenarios. We can consider the same scenario as above, except that the other vehicle comes from the left side of the intersection and decides to turn right. In this case, the behavior of the other vehicle should not affect our plan. However, the linear predictor is overcautious and predicts the other vehicle may go straight through the intersection or even drive straight towards us as it begins to turn, leading to unnecessary braking and an uncomfortable ride.

Finally, when is MFP preferred over R2P2-MA and Multipath? MFP has the ability to model interactions in more complex driving scenarios. In contrast, because R2P2-MA and MultiPath generate predictions on a per-agent basis independently, they would not suffice for these scenarios, and the minMSD metrics are indicative of this phenomenon. MFP would be especially effective in these crowded scenes when we are driving at slower speeds and have more time to react.

Environment Complexity

Having established that runtime should be considered when evaluating prediction models, we now discuss the effects of different aspects of the environment on each model's runtime. First, we note that linear regression is extremely fast (no more than a few milliseconds) for any reasonable prediction horizon and environment that we would encounter.

Many prediction networks, including R2P2-MA and MFP, utilize recurrent neural networks in their architecture, which perform inherently sequential computation. Consequently, in situations such as highway driving which involve faster speeds and longer braking distances for which we need longer prediction horizons, these models have increased runtime. Figure 4.4 shows the runtime of R2P2-MA and MFP-1 with different prediction horizons and one other agent in the scene.

In contrast, the runtime of Multipath has little dependence on the prediction horizon. This is because the second stage of the network architecture is fully convolutional, so batching allows runtimes to stay roughly the same.

With regards to the number of agents we perform predictions for, we found that only MFP’s runtime scales with the number of agents. For both R2P2-MA and Multipath, the
CHAPTER 4. EXPERIMENTS

Figure 4.4: Prediction runtime can increase as prediction horizon increases.

per-agent computation can be performed independently and batched. However, because of the attention mechanism of MFP, we found that with an increased number of agents its runtime also increased.

Perhaps surprisingly, none of these methods are affected by the number of static obstacles in the scene, as they take in scene context as a LIDAR point cloud (or potentially an image of fixed size) and apply some form of a convolutional feature extractor.

**Frequency of Predictions**

A typical AV is equipped with a dozen cameras, several LIDARs, and radars, which collectively generate 1–2 GB/s of data. This data must be processed by the pipeline to reach a control decision, which needs to be made faster than the typical human reaction time. With so many components in the pipeline and relatively insufficient computation power on today’s autonomous vehicles [29], prioritization of computation resources is essential.

In addition to switching between components along the runtime-accuracy tradeoff curve as in the previous section, in some situations we could run certain components less often if they are not as vital to the end-to-end performance of the pipeline in the current context.

For example, it is not always necessary to run neural network based prediction for every frame. To see this, we consider the following experiment setup, as shown in Figure 4.5. The ego-agent is driving down a straight road, with a static pedestrian at the end of it. We have a simple module that tells us whether or not any agents could feasibly affect our trajectory. For example, if the object tracker tells us that all nearby vehicles are oriented away from us, and physical constraints mean that they have very little chance to impact our ego-vehicle’s plan, we don’t need to run prediction until we receive a new tracked object from the object tracking module.
Figure 4.5: The ego-vehicle can choose not to run prediction if no vehicles are physically able to collide with it in the near future, and allocate more time to object detection.

We saw in Figure 4.3 that not running one of the computationally expensive prediction modules could save us roughly 150 ms of runtime per frame. We can invest this freed-up time into improving the accuracy of other modules in our pipeline, such as object detection. Table 4.2 shows the runtimes of various EfficientDet models [35], as well as what distance we can be at while still detecting a static pedestrian using each version of EfficientDet in the CARLA scenario runner. EfficientDet is a family of state-of-the-art single-stage object detectors that give us nice tradeoffs in runtime and accuracy, which is why we discuss it here. The extra time gained from not having to run prediction allows us to use a higher-accuracy EfficientDet model while having comparable response times (e.g. switch from using EfficientDet-d2 to EfficientDet-d6), allowing us to detect the obstacle earlier and stop in time. In addition, not outputting predictions at every time step has the added advantage of giving more realistic and stable predictions [36].

<table>
<thead>
<tr>
<th>EfficientDet Model</th>
<th>Distance Detected (m)</th>
<th>Runtime(ms)</th>
</tr>
</thead>
<tbody>
<tr>
<td>d1</td>
<td>7.31</td>
<td>12</td>
</tr>
<tr>
<td>d2</td>
<td>12.42</td>
<td>16</td>
</tr>
<tr>
<td>d3</td>
<td>16.93</td>
<td>23</td>
</tr>
<tr>
<td>d4</td>
<td>22.97</td>
<td>37</td>
</tr>
<tr>
<td>d5</td>
<td>37.00</td>
<td>65</td>
</tr>
<tr>
<td>d6</td>
<td>48.39</td>
<td>128</td>
</tr>
<tr>
<td>d7</td>
<td>49.05</td>
<td>232</td>
</tr>
</tbody>
</table>

Table 4.2: Detection distances and runtimes for different EfficientDet models.
Probabilities assigned to each predicted trajectory

We saw in Section 3.2 that metrics such as minMSD and minADE were introduced to take into account the fact that predictions should inherently be multimodal. However, these metrics don’t take into account the probabilities assigned to each sampled trajectory.

For example, in Figure 4.6 we can consider two predictors which output the same three paths (turning left, slowing down, turning right), but with different probability distributions, e.g. [0.8, 0.1, 0.1] and [0.1, 0.8, 0.1]. If the ground-truth path is one of these three paths, both predictors would have a minMSD and minADE of zero. However, it makes a big difference to the planning module if we know whether this vehicle is more likely to turn left or slow down.

Figure 4.6: Predicting correct paths must also come with predicting correct probabilities.

Therefore, metrics such as minMSD and minADE can be more useful than single-trajectory MSD and ADE, but they do not necessarily correlate with good planning performance.
Chapter 5

Conclusion and Future Work

Currently, trajectory prediction is one of the major hurdles remaining in order to achieve safe and reliable autonomous driving. There have been many proposed metrics for evaluating the quality of predictions on static datasets. However, trajectory prediction for autonomous driving inherently must run in real-time, in conjunction with other components of the driving pipeline such as planning. We have discussed why factors such as algorithm runtime, environment complexity, and frequency of predictions should also be taken into account when evaluating a prediction algorithm. To do this, we implemented several state-of-the-art prediction models and evaluated their behavior in a realistic simulation.

Future work could involve considering trajectory prediction for pedestrians as well. One additional challenge for pedestrians is that they have less consistent dynamics models, as well as different physical constraints on the set of feasible paths. We could also incorporate real data on vehicle signalling lights and horns, as human drivers depend a lot on these cues for making predictions. Also, it would be useful to evaluate algorithms which jointly perform planning and prediction. In reality, the two modules cannot be considered separately, as the decision of the ego-vehicle matters for the predicted trajectories of other vehicles. For example, at a four-way intersection, nudging forward can signal to other cars at the intersection that you plan to cross, so they are more likely to cede the right of way. This is another aspect of prediction quality that cannot be evaluated by a static dataset.

Another natural extension to this work would be to consider planners that leverage the inherent uncertainty of the predictions, taking into account the full distribution of trajectories produced by the model. A naïve approach would be to sample multiple trajectories from the predicted distribution and consider all of the corresponding locations as being occupied, but we found that this led to an overcautious agent, an example of the freezing robot problem. We could also consider probabilistic planners, which treat the prediction problem as a Markov Decision Process (MDP). These planners account for action and environment uncertainty, and they would allow for tighter integration between the planning and prediction modules.
Bibliography


